

L/E analysis and constraints on exotics of the atmospheric neutrino data from Super- Kamiokande

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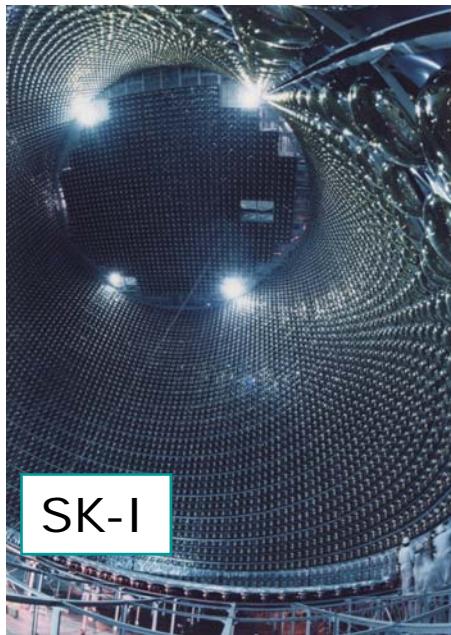
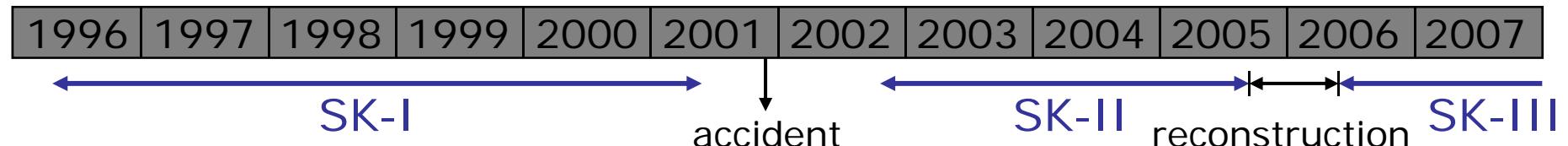
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Introduction

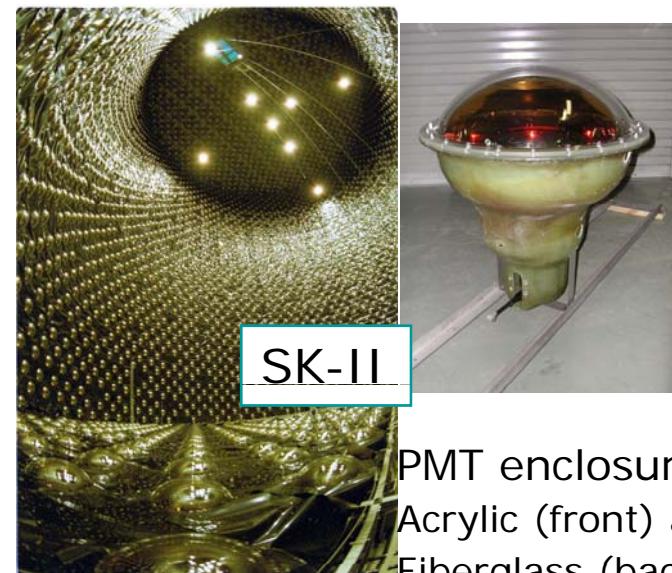
- We presented SK-I+II combined L/E $\nu_\mu \xrightarrow{\text{TM}} \nu_\tau$ oscillation analysis result.
- And we presented test of exotic model (neutrino decoherence, neutrino decay) separately.
- But, neutrino decoherence (decay) and oscillation can coexist. We can constrain decoherence (decay) parameter, if we test L/E oscillation analysis with exotic models.
- We report the L/E oscillation analysis with exotic models.

Super-Kamiokande



- 50kton cylindrical water Cherenkov detector
(22.5kt fiducial vol.)
 - 1000m underground
(2700m water equiv.)
 - optically separated into ID and OD

11146	Num. of inner detector PMTs	5182
40 %	Photocathod coverage	19 %



PMT enclosure :
Acrylic (front) and
Fiberglass (back)

SK-I (1489days) + SK-II (804days)

SK-III physics started in July 2006.

Survive probability

Neutrino oscillation :

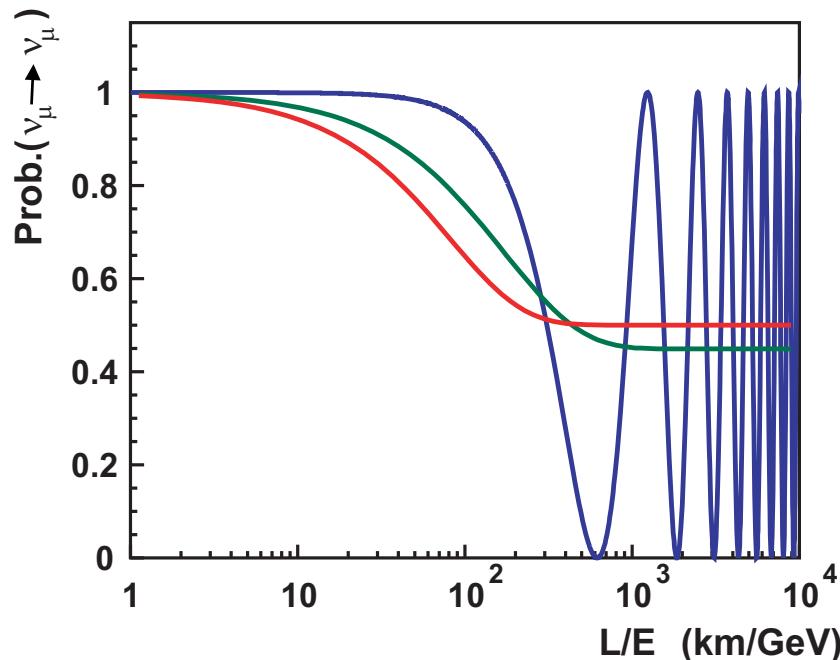
$$P_{\mu\mu} = 1 - \sin^2 2\theta \sin^2 \left(\frac{\Delta m^2 L}{E} \right)$$

Neutrino decay :

$$P_{\mu\mu} = (\cos^2 \theta + \sin^2 \theta \times \exp(-\frac{m}{2\tau} \frac{L}{E}))^2$$

Neutrino decoherence :

$$P_{\mu\mu} = 1 - \frac{1}{2} \sin^2 2\theta \times (1 - \exp(-\gamma_0 \frac{L}{E}))$$



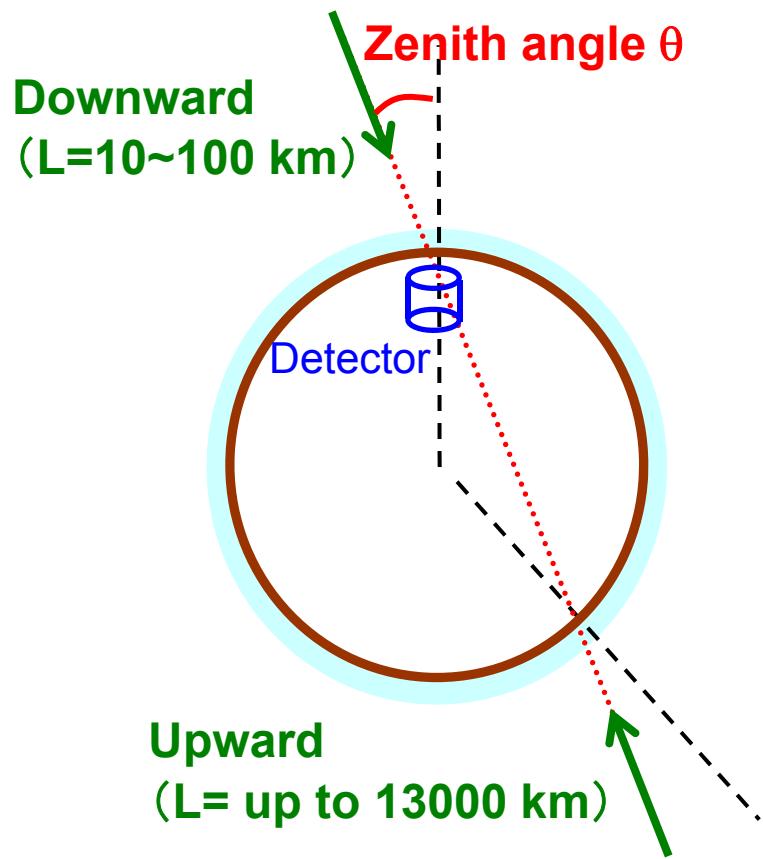
Use events with high resolution in L/E



The first dip can be observed

- Direct evidence for oscillations
- Strong constraint to oscillation parameters, especially Δm^2 value

L/E oscillation analysis method



- We use full data set
SK-I (1489days)
SK-II (804days)
- Reconstruct flight length and energy.
- Vary parameters ($\sin^2 2\theta, \Delta m^2, \gamma^0$ (or m/τ)), fit each model and compare the χ^2

Event samples in L/E analysis

Data set: SK-I(1489)
SK-II(804)

FC (tracks are contained inside the ID)

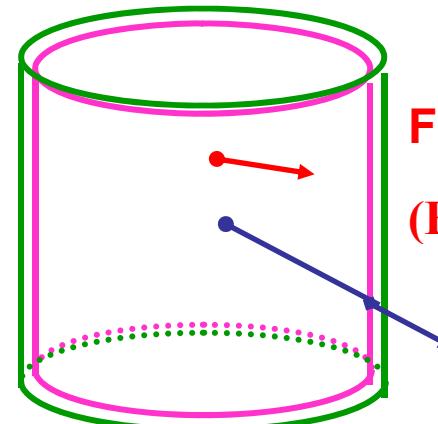
- { I. Single-ring , μ -like
- II. Multi-ring , μ -like

PC (deposits visible energy in the OD)

μ -like

Classify PC events using OD charge

- { I. OD stopping
- II. OD through going

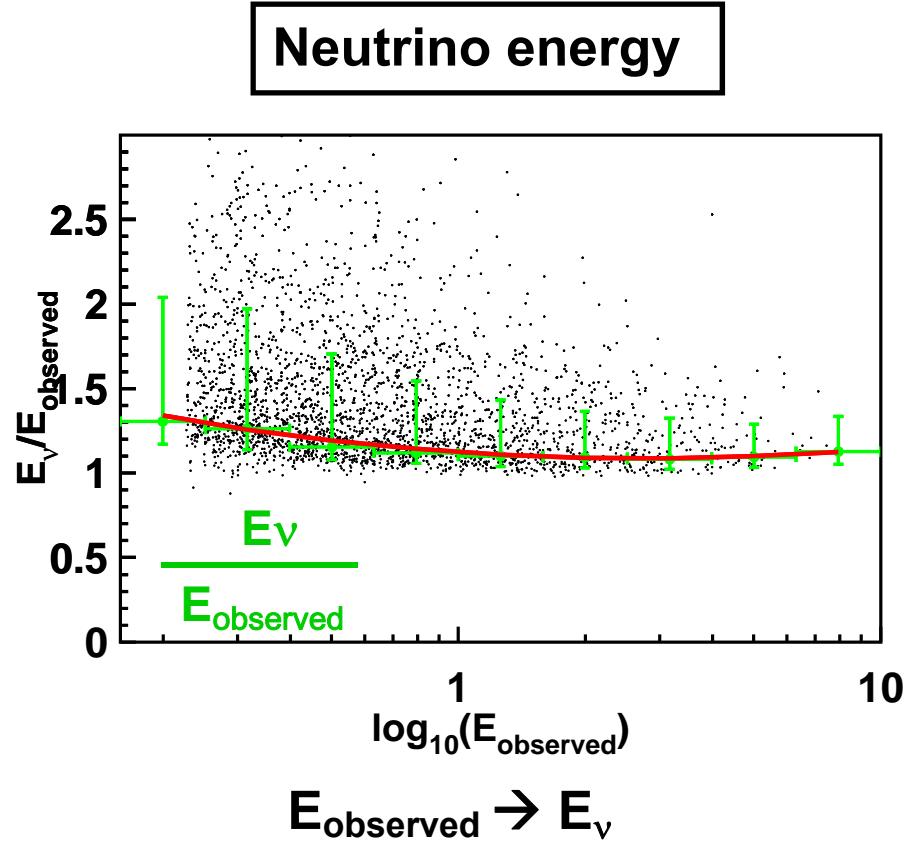


Fully Contained
($E_\nu \sim 1\text{GeV}$)

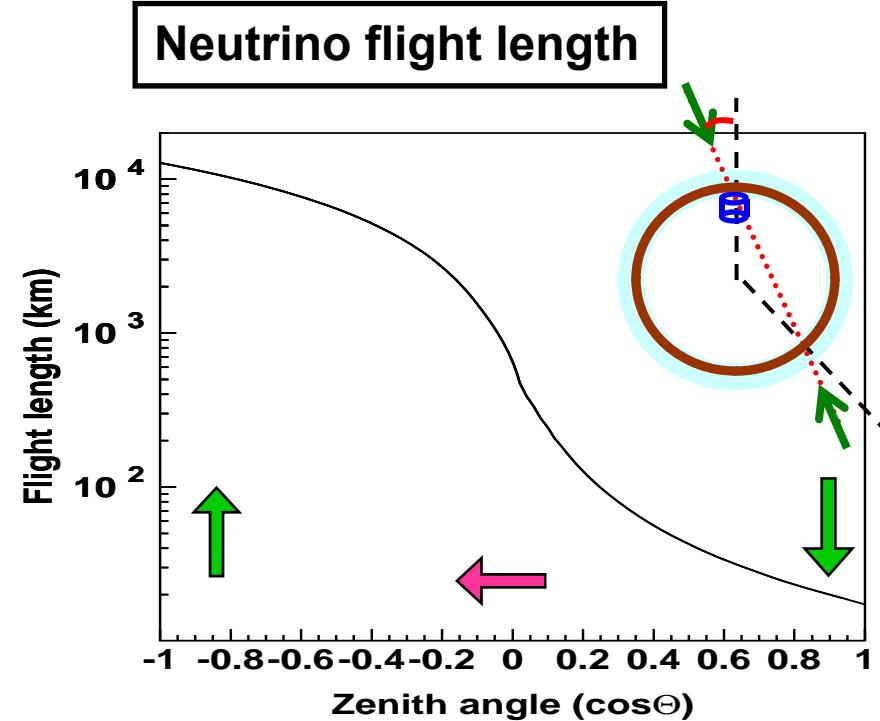
Partially Contained
($E_\nu \sim 10\text{GeV}$)

We apply resolution cut.

Reconstruction of E and L



Neutrino energy is reconstructed from observed energy using relations based on MC simulation



Zenith angle
→ Flight length

Neutrino flight length is estimated from zenith angle of particle direction

Results of L/E oscillation analysis

- SK-I+II

Assuming $\nu_\mu \leftrightarrow \nu_\tau$

$$\chi^2_{\text{min}} = 83.9/82 \text{ d.o.f}$$

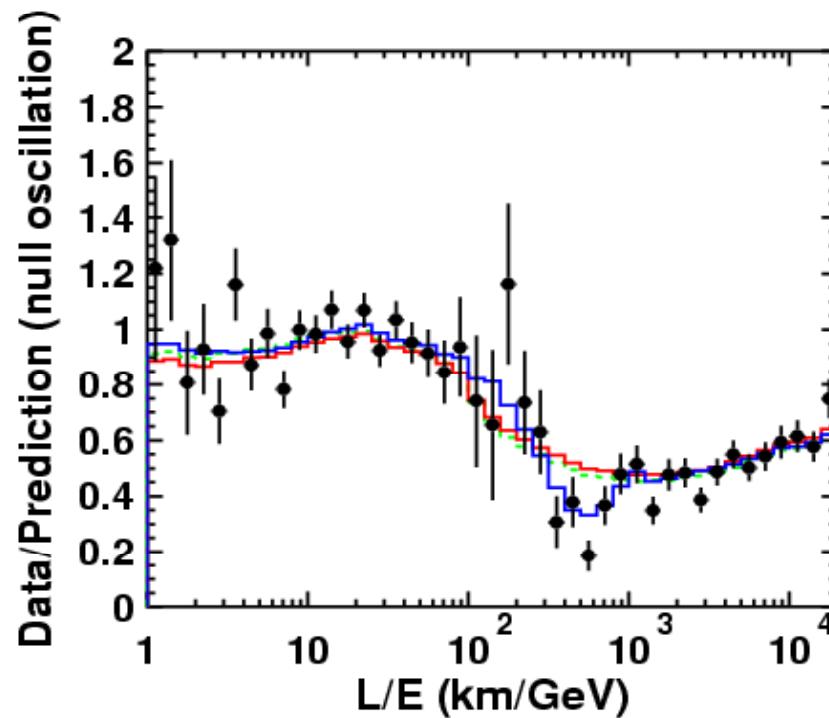
$$\text{at } (\sin^2 2\theta, \Delta m^2)$$

$$= (1.00, 2.3 \times 10^{-3} \text{ eV}^2)$$

$$\chi^2_{\text{osc}} = 83.9/82 \text{ d.o.f}$$

$$\chi^2_{\text{dcy}} = 107.1/82 \text{ d.o.f}, \Delta\chi^2 = 23.2(4.8\sigma)$$

$$\chi^2_{\text{dec}} = 112.5/82 \text{ d.o.f}, \Delta\chi^2 = 27.6(5.3\sigma)$$



We exclude neutrino decoherence, decay about 5 σ

oscillation and exotic mode survive probability

$\nu_\mu \leftrightarrow \nu_\tau$ Oscillation :

$$P_{\mu\mu} = 1 - \sin^2 2\theta \sin^2 \left(\frac{\Delta m^2 L}{E} \right)$$

$\nu_\mu \leftrightarrow \nu_\tau$ Oscillation+decay :

$$P_{\mu\mu} = \sin^4 \theta + \cos^4 \theta \times \exp \left(-\frac{m}{\tau} \frac{L}{E} \right) \\ + 2 \sin^2 \theta \cos^2 \theta \times \exp \left(-\frac{m}{2\tau} \frac{L}{E} \right) \\ \times \cos \left(\frac{\Delta m^2 L}{2E} \right)$$

$\nu_\mu \leftrightarrow \nu_\tau$ Oscillation+decoherence :

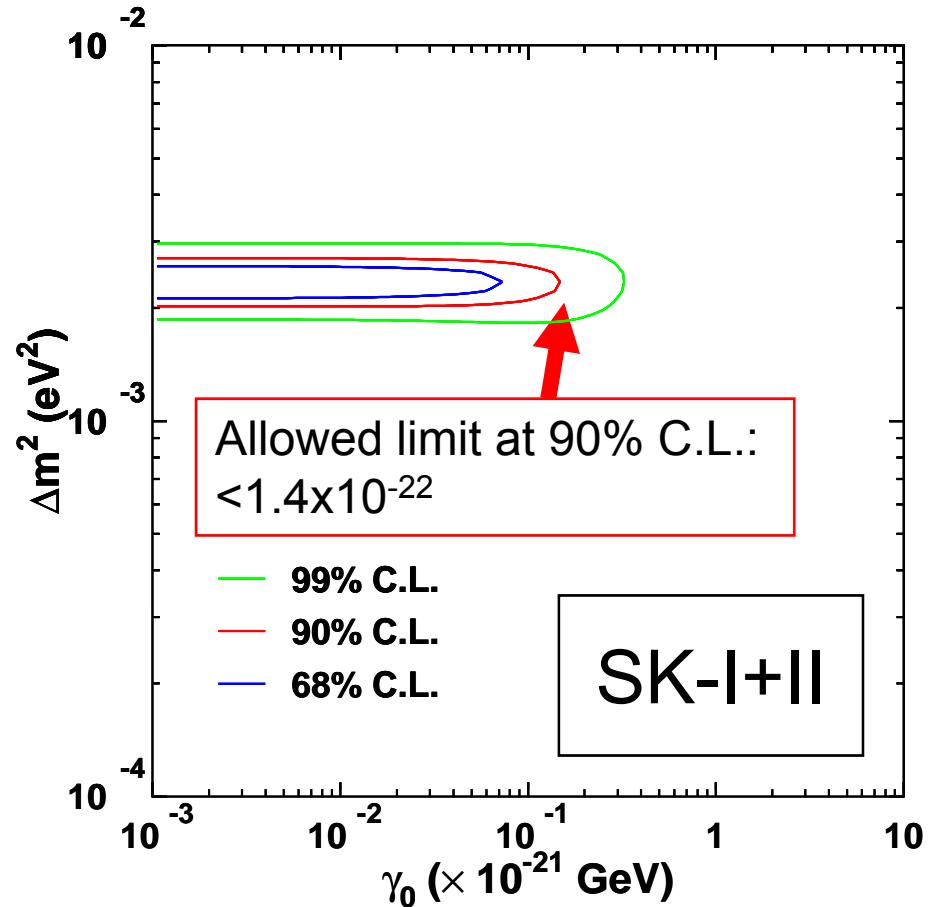
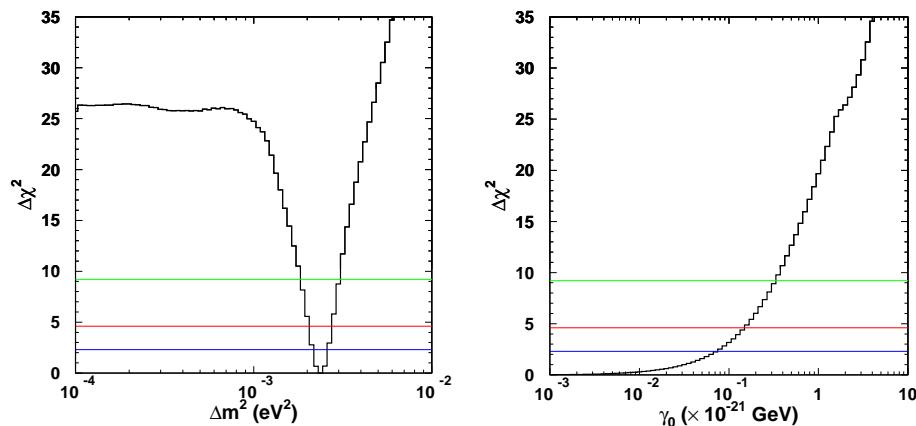
$$P_{\mu\mu} = 1 - \frac{1}{2} \sin^2 2\theta \times (1 - \exp(-\frac{L}{E})) \\ \times \cos \left(\frac{\Delta m^2 L}{2E} \right)$$

Results of L/E oscillation analysis with decoherence

- SK-I+II

$$\chi^2_{\text{min}} = 83.8 / 80 \text{ d.o.f}$$

At $(\gamma_0, \Delta m^2, \sin^2 2\theta) =$
 $(0 \text{ GeV}^2, 2.4 \times 10^{-3} \text{ eV}^2, 1.00)$



Compare with the published limit

P.R.L. 85.1166(2000) E.Lisi, A.Marrone, D.Montanino

- Effects of decoherence on the distributions of lepton events as a function of the zenith angle using SK-I data.

	90% C.L. upper limit	
	P.R.L.	This result
γ^0 (GeV)	2.0×10^{-21}	1.4×10^{-22}

We can improve one order

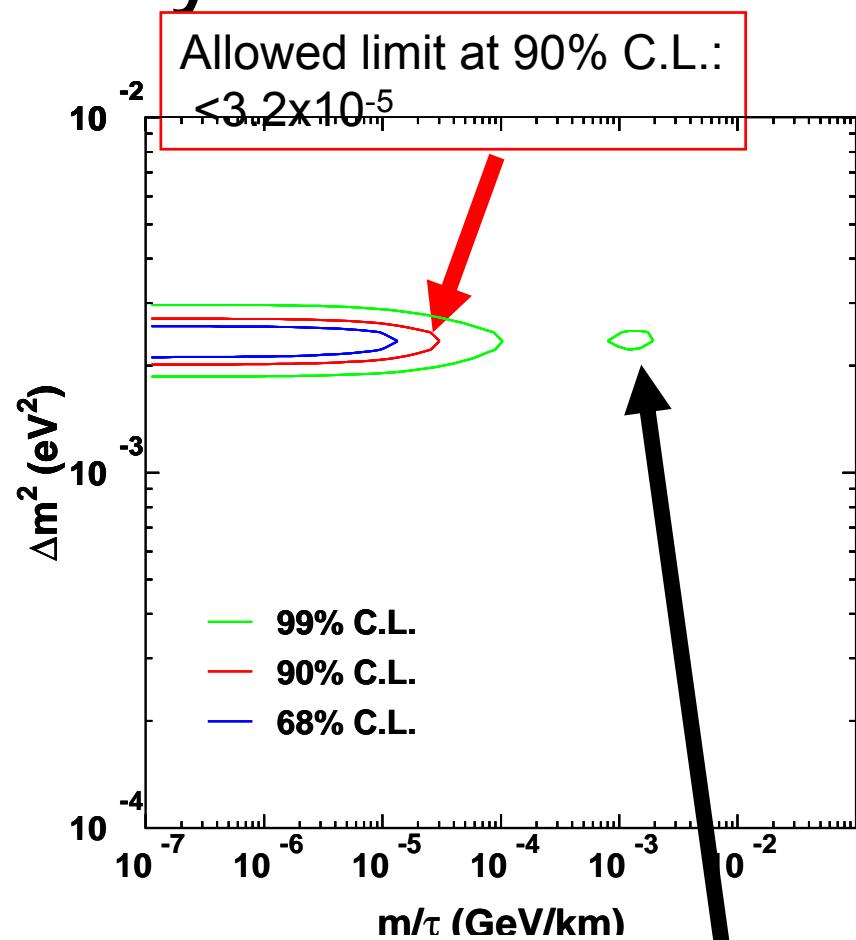
Results of L/E oscillation analysis with decay

- SK-I+II

$\chi^2_{\text{min}} = 83.8/80$ d.o.f

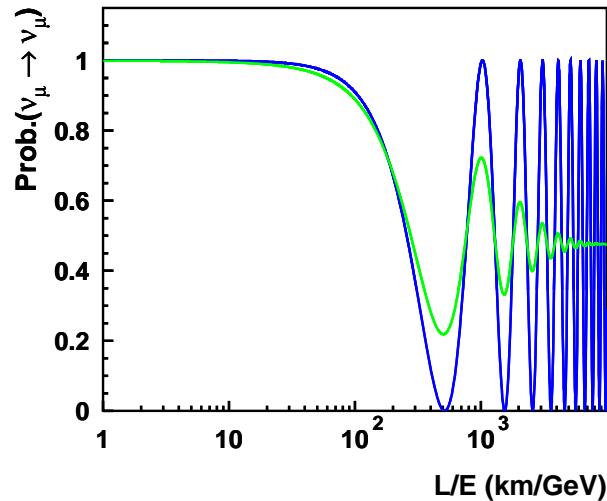
At $(m/\tau, \Delta m^2, \cos^2 \theta) =$

$(0 \text{ GeV/km}, 2.4 \times 10^{-3} \text{ eV}^2, 0.5)$

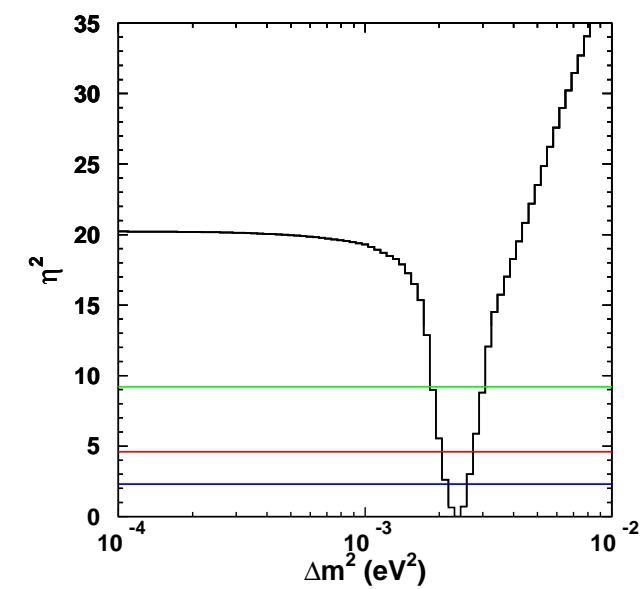
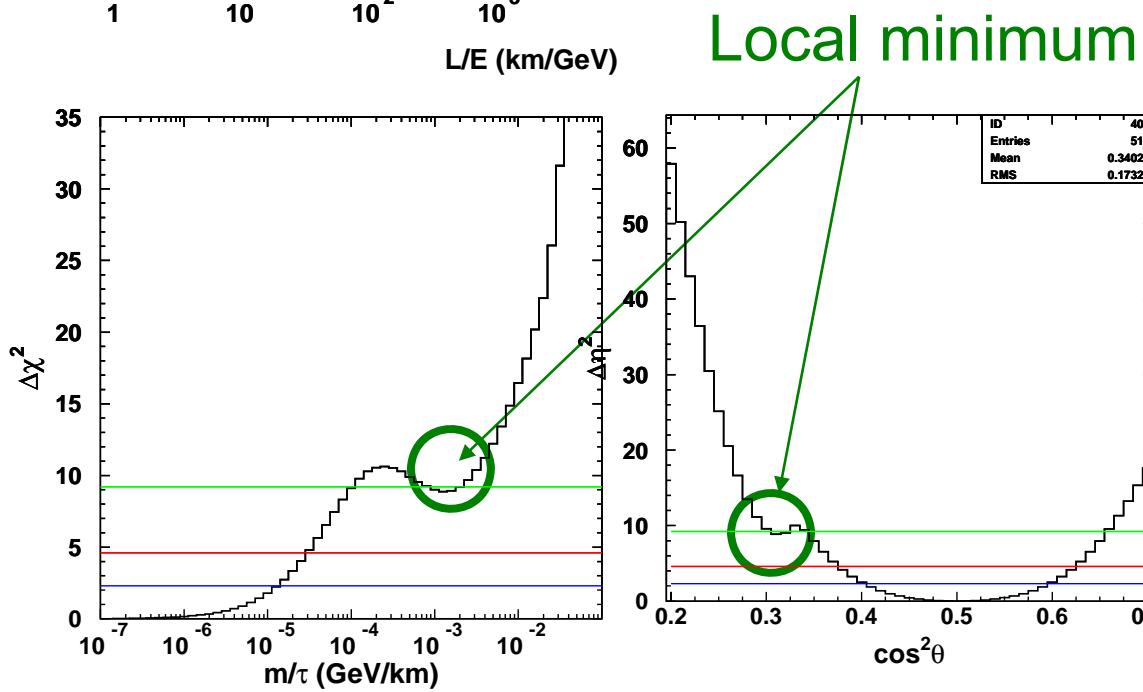


Local minimum due to
neutrino decay

Contour and $\Delta\chi^2$ distribution



	$\cos^2\theta$	Δm^2	m/τ
Best fit	0.50	2.4×10^{-3}	0.0
Local minimum	0.31	2.4×10^{-3}	1.3×10^{-3}



Compare with the published limit

P.R.L. 82.2640(1999) V.Barger, J.G.Learned,
S.Pakvasa,T.J.Wiler

- Fit to the L/E distribution modeled neutrino decay.
- We use SK-I+II, PC event and high resolution sample.

	90%C.L. upper limit	
m/τ	P.R.L	This result
GeV/km	7.8×10^{-5}	3.2×10^{-5}

summary

- We reported L/E oscillation analysis with exotics.
- We get chi2 minimum at $\nu_\mu \leftrightarrow \nu_\tau$ oscillation.
- SK constrains on exotics mode.

$\gamma^0 < 1.4 \times 10^{-22}$ GeV at 90% C.L. for decoherence
 $m/\tau < 3.2 \times 10^{-5}$ GeV/km at 90% C.L. for decay