

Sensitivity studies :status report

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With systematics

Procedure : χ^2 now is a function of X (oscillation) and ε (nuisance parameters)

- Pick a point A on the map
- Make fake data from $MC(A)$, setting all the nuisance parameter to 0
- Compute $\min \chi^2(A, \text{best fit } \varepsilon)$ and $\min(\chi^2) = \chi^2(\text{best fit } X, \text{best fit } \varepsilon')$
- Get $\Delta\chi^2(A) = \min \chi^2(A, \text{best fit } \varepsilon) - \min \chi^2(\text{best fit } X, \text{best fit } \varepsilon')$ distribution
--> will depend on A (non linearities etc.)
- Determine α CL cut position on $\Delta\chi^2(A)$ distribution --> critical value $C_\alpha(A)$
- Use this cut on $\chi^2(\text{data}, A, \text{best fit } \varepsilon) - \min(X, \varepsilon) \chi^2(\text{data})$,
to decide if data accepts point A or not
- Repeat for all points on the map

Basically same procedure as before, but with a minimization of the nuisance parameters at each step.

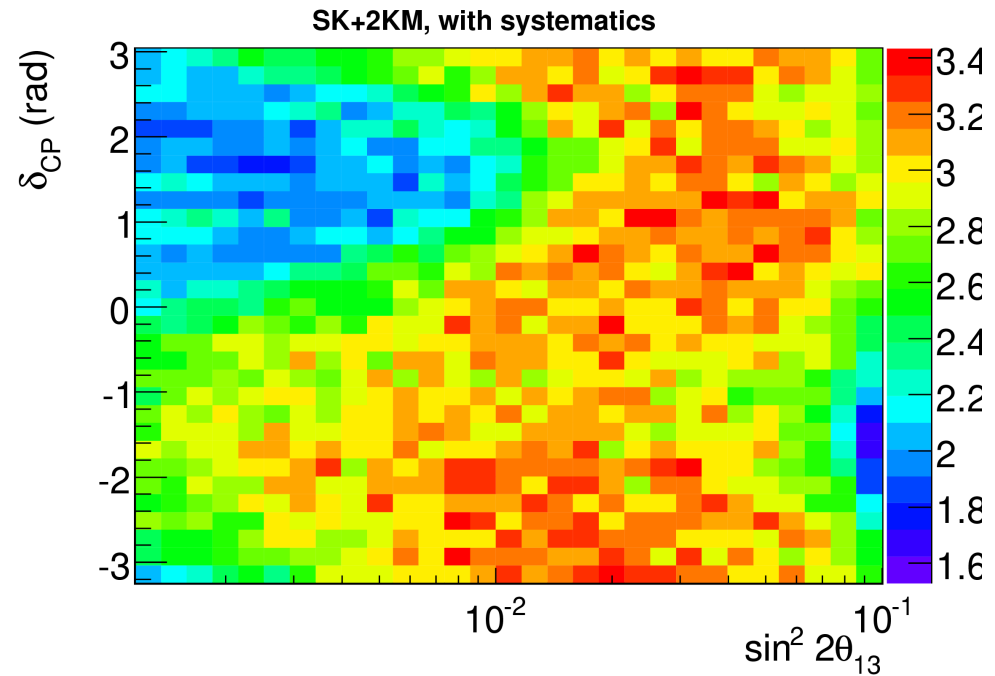
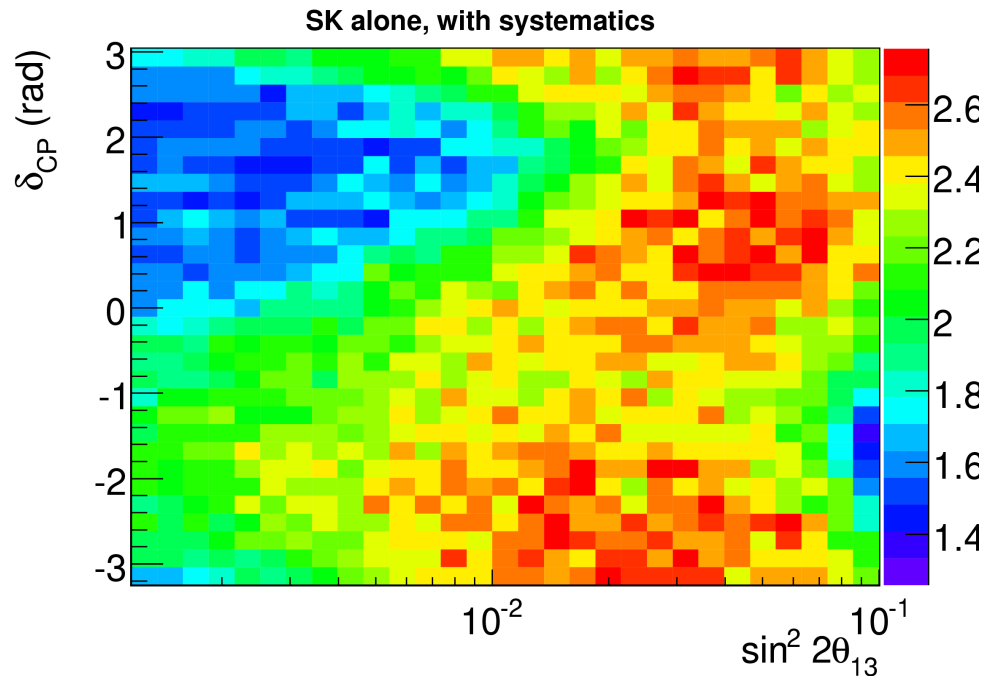
This is an approximation, considered to be very good (Kendall & Stuart ?) and certainly much faster than making a full Neyman construction over many (nuisance) parameters.

Question : is it correct to fix the nuisance parameters to their "central value" 0 ?

Does it change the coverage when they are set to some other value ? Should they be randomized when making fake data ?

F-C critical values : with syst

Nuisance parameters fixed at 0 when making fake data, always fitted during the computations as explained on slide 2.



At 90% CL.

- The critical values are clearly lower than in the absence of systematics
- This is not the expected behaviour : in the case of χ^2 distributed estimators, we don't expect any difference
- Possible hint that we should randomize the pulls when making fake data

UNDER INVESTIGATION